| Maharaja Ranjit Singh College of Professional Sciences, Indore | | | | |
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| | Department of Mathematics | | | |
| Lesson Plan - B. Sc. IYear(CS/HONS/PCM/IT/ELEX) (July 2020 -21) | | | | |
| | Subject-Mathematics Paper I- Algebra and Trigonometry | | | |
| | ••••••• | Teacher - Manoj Joshi | | |
| Day/Lecture | Unit | Topic | | |
| 1 | 1 | Basics of matrices | | |
| 2 | 1 | Types of matrices, determinant and its properties | | |
| 3 | 1 | Rank of matrices | | |
| 4 | 1 | Question on rank of matrices | | |
| 5 | 1 | Question on rank of matrices | | |
| 6 | 1 | Echelon form of matrices and numericals | | |
| 7 | 1 | Echelon form of matrices and numericals | | |
| 8 | 1 | Normal form of matrices | | |
| 9 | 1 | Question on normal form of matrices | | |
| 10 | 1 | Characteristic equation of matrix | | |
| 11 | 1 | Eigen values and eigen vector of matrix | | |
| 12 | 1 | Questions based on eigen values and eigen vectors | | |
| 13 | 1 | Linearly dependent and independent vectors | | |
| 14 | 1 | Row rank and column rank | | |
| 15 | 1 | Practise questions and doubts | | |
| 16 | 1 | Proof of theorems based on eigen values and eigen vector | | |
| 17 | 2 | Cayley- Hamilton theorem statement and verification | | |
| 18 | 2 | Proof of Cayley-Hamilton theorem and numerical problems | | |
| 19 | 2 | Solution of linear equation by matrix method | | |
| 20 | 2 | Consistency and inconsistency of linear equation | | |
| 21 | 2 | Numerical Problems | | |
| 22 | 2 | Numerical Problems | | |
| 23 | 2 | Homogoneous linear equations | | |
| 24 | 2 | Non homogeneous equations | | |
| 25 | 2 | Theorems on consistency and inconsistency | | |
| 26 | 2 | Theorems on consistency and inconsistency | | |
| 27 | 2 | Cremer's method of solving linear equation | | |
| 28 | 2 | Practise questions and doubts | | |
| 29 | 2 | Practise questions and doubts | | |
| 30 | 2 | Revision | | |
| 31 | 3 | Introduction to theory of equation | | |

| 32 | 3 | Symmetric function of the roots |
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| 33 | 3 | Synthetic division, roots of multiplicity |
| 34 | 3 | GCD of polynomials |
| 35 | 3 | Relation between roots |
| 36 | 3 | Numericals on relation between the roots |
| 37 | 3 | Numericals on relation between the roots |
| 38 | 3 | Transformation of equations, roots with sign change |
| 39 | 3 | Reciprocal equation, roots diminished by h |
| 40 | 3 | Descartes rule ,removal of the terms |
| 41 | 3 | Practise questions and doubts |
| 42 | 3 | Practise questions and doubts |
| 43 | 4 | Logic-logical connectives |
| 44 | 4 | Truth tables, problem on logical connectivity |
| 45 | 4 | Tautology,contradiction,logical equivalence |
| 46 | 4 | Algebra proposition |
| 47 | 4 | Boolean algebra definition |
| 48 | 4 | Examples on Boolean algebra |
| 49 | 4 | Properties of Boolean algebra |
| 50 | 4 | Properties of Boolean algebra |
| 51 | 4 | Properties of Boolean algebra, Boolean functions |
| 52 | 4 | Minimal Boolean function |
| 53 | 4 | Disjunctive normal form |
| 54 | 4 | Conjuctive normal form |
| 55 | 4 | Problems on normal forms |
| 56 | 5 | Algebra of electric circuit |
| 57 | 5 | Parallel and series connection and their problems |
| 58 | 5 | Logic gates and their problems |
| 59 | 5 | Logic gates and their problems |
| 60 | 5 | Practise questions and doubts |
| 61 | 5 | De-Moivre's theorem and it's proof |
| 62 | 5 | Problems on De-Moivre's theorem |
| 63 | 5 | Problems on De-Moivre's theorem |
| 64 | 5 | Expansion of Sine,Cosine and Tan Series |

| 65 | 5 | Direct and Inverse circular functions |
|----|---|---------------------------------------|
| 66 | 5 | Hyperbolic functions |
| 67 | 5 | Problems on above functions |
| 68 | 5 | Problems on above functions |
| 69 | 5 | Expansion of trigonometric functions |
| 70 | 5 | Expansion of trigonometric functions |
| 71 | 5 | Logerithm of complex quantities |
| 72 | 5 | Gregory Series |
| 73 | 5 | Gregory Series |
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| | U | Department of Mathematics | | |
| Lesso | Lesson Plan - B. Sc. IYear(CS/HONS/PCM/IT/ELEX) (July 2020 -21) | | | |
| | Subject -Mathematics Paper-II Calculus and Differential Equation | | | |
| Subject -1 | viatiiciiia | Teacher - Shifa Goyal | | |
| Day/Lecture | Unit | Topic | | |
| 1 | 1 | Basics of Differentiation | | |
| 2 | 1 | Successive Differentiation | | |
| 3 | 1 | nth derivative of standard functions | | |
| 4 | 1 | nth derivative of standard functions | | |
| 5 | 1 | Questions based on trignometric transformation | | |
| 6 | 1 | Questions based on partial fraction | | |
| 7 | 1 | Application of De-Moivre's theorem | | |
| 8 | 1 | Proof of Leibnitz theorem and questions | | |
| 9 | 1 | Numericals on Leibnitz theorem | | |
| 10 | 1 | Proof of Maclaurin's theorem and questions | | |
| 10 | 1 | Numericals on Maclaurin and Taylor's theorem | | |
| 12 | 1 | Asymptote introduction and general method to find asymptote | | |
| 12 | 1 | Shorter methods to find asymptote | | |
| 14 | 1 | Asymptote parallel to axes and curvilinear asymptotes | | |
| 15 | 1 | Asymptotes of polar curves and its intersection with curve | | |
| 16 | 2 | Curvature, intrnsic formula for radius of curnature | | |
| 10 | 2 | Cartesian, parametric and pedal formula to find radius of curvature | | |
| 18 | 2 | Tangents at origin,centre of curvature,chord of curvature | | |
| 19 | 2 | Concavity, convexity and point of inflexion, singular points | | |
| 20 | 2 | Multiple points, tangents at origin, cusp and node | | |
| 20 | 2 | Tracing of curves an introduction | | |
| 22 | 2 | Tracing of cartesian curves | | |
| 22 | 2 | Tracing of cartesian curves | | |
| 23 | 2 | Tracing of cartesian curves | | |
| 25 | 2 | Tracing of polar curves | | |
| 26 | 2 | Tracing of polar curves | | |
| 20 | 2 | Tracing of parametric curves | | |
| 28 | 2 | Tracing of parametric curves | | |
| 29 | 3 | Integration of transcendental functions | | |
| 30 | 3 | Integration of transcendental functions and Hyperbolic functions | | |
| 31 | 3 | Definite integrals and general properties | | |
| 31 | 3 | Reduction formulae | | |
| 32 | 3 | Reduction formulae | | |
| 33 | 3 | Quadrature and determination of plane curves | | |
| 35 | 3 | Quadrature of polar curves, area between two curves | | |
| 35 | 3 | Rectification for cartesian equations | | |
| 30 | 3 | Rectification for cartesian equations | | |
| 37 | 3 | Rectification for parametric and polar equations | | |
| | 3 | | | |
| 39 | 3 | Numericals on parametric and polar equations | | |

| 40 | 3 | Intrinsic equation from cartesian and polar equations |
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| 41 | 4 | Introduction of Linear differential equations and their solution |
| 42 | 4 | Linear differential equations and equation reducible to linear |
| 43 | 4 | Change of variables, exact differential equations and their solutions |
| 44 | 4 | Integrating factor, rules for finding integrating factors |
| 45 | 4 | Rules for finding integrating factors |
| 46 | 4 | Equations solvable for p |
| 47 | 4 | Equations solvable for x and y |
| 48 | 4 | Clairaut's form, Singular solutions |
| 49 | 4 | Geomerical meaning of differential equation, orthogonal trajectries |
| 50 | 4 | Differential equation of orthogonal trajectories, self orthogonal family |
| 51 | 5 | Linear differential equations with constant coefficients |
| 52 | 5 | Auxiliary equation with equal and different roots |
| 53 | 5 | Auxiliary equations with imaginery roots |
| 54 | 5 | General method to find particular integral |
| 55 | 5 | Short methods to find particular integral |
| 56 | 5 | Short methods to find particular integral |
| 57 | 5 | Differential equations reducible to linear equations |
| 58 | 5 | Linear differential equations of second order |
| 59 | 5 | Method of Variation of parameters |
| 60 | 5 | Method of Variation of parameters |

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| Lesso | Lesson Plan - B. Sc. IYear(CS/HONS/PCM/IT/ELEX) (July 2020 -21) | | | |
| Subject -N | Subject -Mathematics Paper III- Vector Analysis and Geometry | | | |
| | | Teacher - Divya Agrawal,Manoj Joshi | | |
| Day/Lecture | Unit | Торіс | | |
| 1 | 1 | Introduction of vector triple product, geometrical significance | | |
| 2 | 1 | Condition of coplanar and non-coplanar vectors | | |
| 3 | 1 | Vector product of four vectors | | |
| 4 | 1 | Reciprocal system of vectors and its properties | | |
| 5 | 1 | Limit, continuity and differentiability of vector functions | | |
| 6 | 1 | Derivative of scalar product of vectors | | |
| 7 | 1 | Derivative of cross product and triple product of vectors | | |
| 8 | 1 | Scalar and vector point function, directional derivatives | | |
| 9 | 1 | Gradient of scalar point functions | | |
| 10 | 1 | Theorems, gradient of constant, sum and difference of two functions | | |
| 11 | 1 | Gradient of product and quotient of two functions | | |
| 12 | 1 | Unit tangent vector, tangent line and divergence of a vector | | |
| 13 | 1 | Curl of vector, constant vector and sum of two functions | | |
| 14 | 2 | Vector integration, definite integral | | |
| 15 | 2 | Line integral, circulation | | |
| 16 | 2 | Irrotational vector | | |
| 17 | 2 | Surface integral | | |
| 18 | 2 | Volume integral | | |
| 19 | 2 | Gauss's divergent theorem | | |
| 20 | 2 | Deductions and applications of Gauss divergence theorem | | |
| 21 | 2 | Green's theorem | | |
| 22 | 2 | Stoke's theorem and it's cartesian equivalent | | |
| 23 | 2 | Application of Stoke's theorem | | |
| 24 | 2 | Applications of Gauss and Stoke's theorem | | |
| 25 | 3 | General equation of second degree, conic section and it's nature | | |
| 26 | 3 | Centre ,axes,eccentricity and foci of conic | | |
| 27 | 3 | Tracing of parabola and hyperbola | | |
| 28 | 3 | Tracing of ellipse | | |
| 29 | 3 | System of conics | | |
| 30 | 3 | System of conics | | |
| 31 | 3 | Angle between two curves, orthogonal circles | | |
| 32 | 3 | Conics passing through 4&5 points | | |
| 33 | 3 | Radical axis and properties of redical axis | | |
| 34 | 3 | Confocal conics | | |
| 35 | 3 | Polar equation of conics | | |
| 36 | 3 | Polar equation of conics | | |
| 37 | 4 | Cone and it's equation | | |
| 38 | 4 | Condition of general equation of 2nd degree to represent cone | | |
| 39 | 4 | Equation of cone with vertex at origin | | |

| 40 | 4 | Generators of the cone |
|----|---|---|
| 41 | 4 | Reciprocal cone and enveloping cone |
| 42 | 4 | Right circular cone |
| 43 | 4 | Equation with cylinder |
| 44 | 4 | Different numerical examples of cylinder |
| 45 | 4 | Right circular cylinder |
| 46 | 4 | Tangent plane to the cylinder |
| 47 | 4 | Enveloping cone of cylinder |
| 48 | 5 | Central conicoid |
| 49 | 5 | General and standard equation of central conicoid |
| 50 | 5 | Types of conicoids |
| 51 | 5 | Tangent line, tangent plane |
| 52 | 5 | Director sphere, normal lines |
| 53 | 5 | Polar planes, polar lines |
| 54 | 5 | Enveloping cone, enveloping cylinder, locus of chords |
| 55 | 5 | Paraboloid |
| 56 | 5 | Paraboloid |
| 57 | 5 | Plane section of conicoid |
| 58 | 5 | Plane section of conicoid |
| 59 | 5 | Generating lines |
| 60 | 5 | Generating lines |

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| Lesson P | Lesson Plan - B. Sc. IYear(CS/HONS/PCM/IT/ELEX) (July 2020 -21) | | |
| | Subject - Mathematics Paper-I Abstract Algebra | | |
| 5 | | Teacher - Manoj Joshi | |
| Day/Lecture | Unit | Topic | |
| 1 | 1 | Basics of set | |
| 2 | 1 | Binary operations, definition of group | |
| 3 | 1 | Examples of group | |
| 4 | 1 | Examples of group, groupoid, semigroup and monoid | |
| 5 | 1 | Properties of group | |
| 6 | 1 | Modulo groups, residue class | |
| 7 | 1 | Subgroup, criterion for subgroup | |
| 8 | 1 | Algebra of subgroups | |
| 9 | 1 | Subgroup generated by subsets | |
| 10 | 1 | Order of element and it's theorem | |
| 11 | 1 | Theorems related with order of group | |
| 12 | 1 | Cyclic group and it's examples | |
| 13 | 1 | Properties of cyclic group | |
| 14 | 2 | Coset and it's definition and examples | |
| 15 | 2 | Theorems on cosets | |
| 16 | 2 | Theorems on cosets | |
| 17 | 2 | Coset decomposition and Lagrange's theorem | |
| 18 | 2 | Normal subgroups, definition and examples | |
| 19 | 2 | Theorems on normal subgroups | |
| 20 | 2 | Theorems on normal subgroups | |
| 21 | 2 | Algebra of normal subgroups | |
| 22 | 2 | Self conjugate elements and centre of group | |
| 23 | 2 | Quotient group | |
| 24 | 2 | Theorems on quotient groups | |
| 25 | 3 | Homomorphism and Isomorphism | |
| 26 | 3 | Properties of Hpmomorphism | |
| 27 | 3 | Theorems of Homomorphism and Isomorphism | |
| 28 | 3 | Kernal of Homomorphism | |
| 29 | 3 | Theorems on kernal of Homomorphism | |
| 30 | 3 | Fundamental theorem | |
| 31 | 3 | Permutation group | |
| 32 | 3 | Types and properties of permutation | |
| 33 | 3 | Theorems on permutation | |
| 34 | 3 | Cyclic permutation, transposition, even-odd permutation | |
| 35 | 3 | Theorems on even permutation | |

| 36 | 3 | Cayley's theorem |
|----|---|---|
| 37 | 4 | Group Automorphism |
| 38 | 4 | Inner Automorphism and it's theorem |
| 39 | 4 | Therems on Automorphism |
| 40 | 4 | Conjugate element and conjugacy relation |
| 41 | 4 | Conjugate class and self conjugate relations |
| 42 | 4 | Self conjugate elements and centre of group |
| 43 | 4 | Normalizer of an element and theorems |
| 44 | 4 | Class equation of finite group |
| 45 | 4 | Centre for group of prime - power order |
| 46 | 4 | Cauchy's theorem for finite abelian group |
| 47 | 4 | Cauchy's theorem for finite non-abelian group |
| 48 | 5 | Ring it's definition |
| 49 | 5 | Examples of rings |
| 50 | 5 | Types of rings |
| 51 | 5 | Properties of rings |
| 52 | 5 | Ring Homomorphism and Isomorphism |
| 53 | 5 | Theorems on ring homomorphism and isomorphism |
| 54 | 5 | Ideals and principle Ideals |
| 55 | 5 | Kernal of ring Homomorphism, Euclidean ring |
| 56 | 5 | Subring and characteristics of rings |
| 57 | 5 | Polynomial ring and it's properties |
| 58 | 5 | Integral domain and field |
| 59 | 5 | Theorems on integral domain and field |
| 60 | 5 | Theorems on integral domain and field |

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| Department of Mathematics | | | |
| Lesson Plan - B. Sc. II Year(CS/HONS/PCM/IT/ELEX)(July 2020-21) | | | |
| Subject - | Subject - Mathematics Paper -II Advanced Calculus | | |
| | Teacher - Divya Agrawal, Shifa Goyal | | |
| Day/Lecture | Unit | Торіс | |
| 1 | 1 | Definition and limit of sequence | |
| 2 | 1 | Examples of convergent sequence | |
| 3 | 1 | Types of sequence and it's examples | |
| 4 | 1 | Theorems on convergent sequence | |
| 5 | 1 | Cauchy's sequence and it's theorems | |
| 6 | 1 | Convergence of series | |
| 7 | 1 | Test of convergence of series | |
| 8 | 1 | Test of convergence of series | |
| 9 | 1 | Test of convergence of series | |
| 10 | 1 | Alternate series and it's convergence | |
| 11 | 1 | Absolute and conditional convergence | |
| 12 | 1 | Theorems and related questions | |
| 13 | 2 | Continuity of function of one variable and examples | |
| 14 | 2 | Continuity in intervals | |
| 15 | 2 | Kinds of discontinuity with examples | |
| 16 | 2 | Uniform continuity it's theorem and examples | |
| 17 | 2 | Differentiability and examples | |
| 18 | 2 | Differentiability on an interval and examples | |
| 19 | 2 | Chain rule, derivative of inverse function | |
| 20 | 2 | Darboux theorem,Roll's theorem | |
| 21 | 2 | Problems on Darboux and Roll's theorem | |
| 22 | 2 | Langrange's Mean value & Cauchy's mean value theorem | |
| 23 | 2 | Taylor theorem and its various forms | |
| 24 | 2 | Problems on Taylor's theorem | |
| 25 | 3 | Function of two variables with examples | |
| 26 | 3 | Limit of function of two variables | |
| 27 | 3 | Continuity of function of two variables | |
| 28 | 3 | Examples and questions | |
| 29 | 3 | Partial differentiation | |
| 30 | 3 | Euler's theorem | |
| 31 | 3 | Problems based on Euler's theorem | |
| 32 | 3 | Change of variable | |
| 33 | 3 | Change of variable | |
| 34 | 3 | Taylor's theorem of two variables | |
| 35 | 3 | Jacobian | |

| 36 | 3 | Jacobian |
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| 37 | 4 | Family of curves, Envelopes |
| 38 | 4 | Problems to find envelope |
| 39 | 4 | Evolute and problems based on it |
| 40 | 4 | Maxima and Minima |
| 41 | 4 | Problems to find Maxima and Minima |
| 42 | 4 | Lagrange's undetermined multiplier method |
| 43 | 4 | Beta function and its properties |
| 44 | 4 | Gammma function and its properties |
| 45 | 4 | Problems based on Beta and Gamma function |
| 46 | 4 | Legendre's duplication formula |
| 47 | 5 | Multiple Integral and examples |
| 48 | 5 | Examples of multiple integral of polar coordinates |
| 49 | 5 | Dirichlet's integral and its problems |
| 50 | 5 | Volume of solid of revolution and examples |
| 51 | 5 | Surface revolution and examples |
| 52 | 5 | Change of order of integration |
| 53 | 5 | Change of order of integration |
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| | Department of Mathematics | | | |
| Lesso | Lesson Plan - B. Sc. II Year(CS/HONS/PCM/IT/ELEX)(July 2020-21) | | | |
| | Subject - Mathematics Paper - III Differential Equation | | | |
| ~~~j~ | | Teacher - Shifa Goyal | | |
| Day/Lecture | Unit | Topic | | |
| 1 | 1 | Power Series solution with numericals | | |
| 2 | 1 | Series solution by Forbenious method, Numericals | | |
| 3 | 1 | Series solution by Forbenious method, Numericals | | |
| 4 | 1 | Bessel function and its properties | | |
| 5 | 1 | Reccurence relations | | |
| 6 | 1 | Orthogonality of Bessel's function | | |
| 7 | 1 | Legendre function | | |
| 8 | 1 | Generating function of Legendre function | | |
| 9 | 1 | Roderige's formula,Christofel summation formula | | |
| 10 | 1 | Reccurence relations | | |
| 11 | 2 | Definition of Laplace transformation and some standard functions | | |
| 12 | 2 | Properties and theorems of Laplace transformation | | |
| 13 | 2 | Laplace transformation of product of 't' and its powers | | |
| 14 | 2 | Initial and final value theorem and problems | | |
| 15 | 2 | Laplace transformation of derivatives | | |
| 16 | 2 | Laplace transformation of derivatives and realted problems | | |
| 17 | 2 | Laplace transformation of Integrals | | |
| 18 | 2 | Laplace trnsformation of periodic functions | | |
| 19 | 3 | Inverse Laplace transformation | | |
| 20 | 3 | Inverse Laplace transformation of standard functions | | |
| 21 | 3 | Properties of Inverse Laplace transformation | | |
| 22 | 3 | Problems based on inverse Laplace transformation | | |
| 23 | 3 | Inverse Laplace of Multiplication and division of 'p' | | |
| 24 | 3 | Convolution theorem and its problems | | |
| 25 | 3 | Heavside expansion formula and problems | | |
| 26 | 3 | Application of Laplace transformation | | |
| 27 | 3 | Application of Laplace transformation | | |
| 28 | 4 | Partial differential equations of first order | | |
| 29 | 4 | Problems based on PDE | | |
| 30 | 4 | Lagranges metod to solve PDE | | |
| 31 | 4 | Problems of PDE of first order | | |
| 32 | 4 | Standard form of PDE of order one degree high | | |
| 33 | 4 | Standard form of PDE of order one degree high | | |
| 34 | 4 | Charpit's general method of solution | | |
| 35 | 4 | Charpit's general method of solution | | |
| 36 | 5 | Partial differential equations of higher order | | |
| 37 | 5 | Examples on Partial differential equations of higher order | | |
| 38 | 5 | Canninical form | | |
| 39 | 5 | Classification of linear PDE of second order | | |

| 40 | 5 | Homogeneous linear partial differential equation |
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| 41 | 5 | Nonhomogeneous linear PDE |
| 42 | 5 | Short methods for finding particular integral |
| 43 | 5 | Short methods for finding particular integral |
| 44 | 5 | Equations reducible to PDE with constant coefficient |
| 45 | 5 | Equations reducible to PDE with constant coefficient |
| 46 | 5 | Geometric problems |
| 47 | | |
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| Lesson P | Lesson Plan - B. Sc. II Year(CS/HONS/PCM/IT/ELEX)(July 2020-21) | | |
| Subject -Ma | Subject -Mathematics Paper I- Linear Algebra and Numerical Analysis | | |
| | Teacher - Manoj Joshi, Shifa Goyal | | |
| Day/Lecture | Unit | Торіс | |
| 1 | 1 | Basics of group and field | |
| 2 | 1 | Definition of Vector space | |
| 3 | 1 | Examples of vector space | |
| 4 | 1 | Properties of vector space | |
| 5 | 1 | Vector subspaces, theorems | |
| 6 | 1 | Theorems on vector subspaces | |
| 7 | 1 | Linear combination of vectors,LI and LD vectors | |
| 8 | 1 | Theorems | |
| 9 | 1 | Finite dimensional vector space | |
| 10 | 1 | Existense and extention theorem | |
| 11 | 1 | Linear and direct sum and related theorems | |
| 12 | 1 | Examples on LI, LD and basis | |
| 13 | 1 | Properties of finite dimensional vector space | |
| 14 | 1 | Quotient space | |
| 15 | 2 | Linear transformation definition and examples | |
| 16 | 2 | Properties of linear transformation | |
| 17 | 2 | Isomorphism and some Theorems | |
| 18 | 2 | Theorems on homomorphism and isomorphism | |
| 19 | 2 | Matrix repesentation of linear transformation | |
| 20 | 2 | Examples and theorems | |
| 21 | 2 | Rank and nullity of linear transformation, theorems | |
| 22 | 2 | Theorems, singular and non singular LT | |
| 23 | 2 | Dual space, dual basis | |
| 24 | 2 | Annhiliator,adjaoint of LT | |
| 25 | 2 | Eigen values and eigen vector of LT | |
| 26 | 2 | Examples and theorems | |
| 27 | 2 | Diagonalization of matrix, Qudratic forms | |
| 28 | 2 | Bilinear and quadratic forms | |
| 29 | 3 | Inner product of vector spaces | |
| 30 | 3 | Examples | |
| 31 | 3 | Properties of Inner product | |
| 32 | 3 | Norm of a vector, unit vector | |
| 33 | 3 | Orthogonal vector and orthonormal set | |
| 34 | 3 | Theorems | |
| 35 | 3 | S-C-S inequality, Bessel's inequality | |

| 36 | 3 | Orthogonalization of a base |
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| 37 | 3 | Theorems |
| 38 | 4 | Solution of Equations |
| 39 | 4 | Solution of Equations |
| 40 | 4 | Solution of Equations |
| 41 | 4 | Interpolation Definition and examples |
| 42 | 4 | Lagranges Interpolation, Divided Differences |
| 43 | 4 | Interpolation usings Divided Differences |
| 44 | 4 | Numerical Quadrature |
| 45 | 4 | Numerical Quadrature |
| 46 | 4 | Newton Cotes formulae |
| 47 | 4 | Gauss Quadrature |
| 48 | 4 | Gauss Quadrature |
| 49 | 5 | Direct method for solving System of linear equations |
| 50 | 5 | Direct method for solving System of linear equations |
| 51 | 5 | LU decomposition, Cholesky method |
| 52 | 5 | Iterative method |
| 53 | 5 | Iterative method |
| 54 | 5 | Ordinary Differtial equations: Euler method |
| 55 | 5 | Euler Modified method, Single step method |
| 56 | 5 | Runge Kutta's method, Multi step method |
| 57 | 5 | Milne Simpson method |
| 58 | 5 | Method based on Numerical integration |
| 59 | 5 | Method based on Numerical differentiation |
| 60 | 5 | Examples |

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| Les | Lesson Plan - B. Sc. II Year(CS/HONS/PCM/IT/ELEX)(July 2020-21) | | |
| | Subject - Mathematics Paper-II Real and complex Analysis | | |
| | ubjeet 1 | Teacher - Divya Agrawal, Shifa Goyal | |
| Day/Lastura | Unit | Topic | |
| Day/Lecture | 1 | Basics of Riemann integral | |
| 2 | 1 | Upper and Lower sum and related Lemmas | |
| 3 | 1 | Riemann integral | |
| 4 | | Theorems on Riemann integral | |
| | 1 | | |
| 5 | 1 | Theorems on Riemann integral | |
| 6 | 1 | Theorems on Riemann integral | |
| 7 | 1 | Fundamental and mean value theorem | |
| 8 | 1 | Second mean value theorem and problems | |
| 9 | 1 | Partial derivatives and examples | |
| 10 | 1 | Differentiability of function of two variables | |
| 11 | 1 | Theorems on differentiability | |
| 12 | 1 | Schwarz's and Young's theorem | |
| 13 | 1 | Examples | |
| 14 | 2 | Convergence of improper integration of first kind | |
| 15 | 2 | Tests for convergence of improper integration | |
| 16 | 2 | Tests for convergence of improper integration | |
| 17 | 2 | Convergence of improper Integration of second kind | |
| 18 | 2 | Tests for convergence of improper integration of second kind | |
| 19 | 2 | Tests for convergence of improper integration of second kind | |
| 20 | 2 | Absolute convergence | |
| 21 | 2 | Integral as a function of a parameter | |
| 22 | 2 | Integral as a function of a parameter | |
| 23 | 2 | Fourier series | |
| 24 | 2 | Fourier series | |
| 25 | 3 | Metric Space definitation and examples | |
| 26 | 3 | Open sphere, closed sphere, neighbourhood and limit point | |
| 27 | 3 | Open set, closed set and theorems | |
| 28 | 3 | Boundary points, metric subspace | |
| 29 | 3 | Cauchy sequence and its theorems | |
| 30 | 3 | Complete metric space and theorems | |
| 31 | 3 | Fixed point and Banach contraction principle | |
| 32 | 3 | Real numbers, extend axiom, field, order axiom | |
| 33 | 3 | Bounded and unbounded sets | |
| 34 | 3 | Completeness ,Archemedian Property,Density theorem | |
| 35 | 3 | Theorems on dense and nowhere dense sets, Baire category theorem | |
| 36 | 3 | Seprable space, First countable and second countable space | |
| 37 | 4 | Continuous function, Uniform Continuity | |
| 38 | 4 | Compact spaces | |
| 39 | 4 | Sequential compactness | |
| 40 | 4 | Finite intersection Property and compactness | |
| 41 | 4 | Continuous functions and compact set | |

| 42 | 4 | Separated sets, disconnected and connected set |
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| 43 | 4 | Totally Disconnected set and components |
| 44 | 4 | Connected sub sets and continuous functions |
| 45 | 5 | Introduction of complex numbers |
| 46 | 5 | Properties of moduli and argument |
| 47 | 5 | Equation of straight lines and circle and inverse point |
| 48 | 5 | Limit and Continuity of complex numbers |
| 49 | 5 | Uniform continuity and differtiability of complex functions |
| 50 | 5 | Analytic function and C-R equation |
| 51 | 5 | Polar form of C-R equation and Hormonic functions |
| 52 | 5 | Methods of constrction of analytic function |
| 53 | 5 | Mobius Transformation |
| 54 | 5 | Resultant of two mobius tranformation and problems |
| 55 | 5 | Problems on fixed point of mobius transformation |
| 56 | 5 | Cross ratio and related problems |
| 57 | 5 | Critical mapping |
| 58 | 5 | Elliptic, hyperbolic and parabolic transformation |
| 59 | 5 | Nesessary and sufficient condition of Conformal mapping |
| 60 | 5 | Transcendental, exponential and logrithimic transformation |

| Maharaja | Maharaja Ranjit Singh College of Professional Sciences, Indore | | |
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| | Department of Mathematics | | |
| Lesson P | Lesson Plan - B. Sc. II Year(CS/HONS/PCM/IT/ELEX)(July 2020-21) | | |
| Subject - Mathematics PaperIII- Discrete Mathematics | | | |
| | Teacher - Manoj Joshi, Divya Agrawal | | |
| Day/Lecture | Unit | Торіс | |
| 1 | 1 | Basics of Boolean Algebra | |
| 2 | 1 | Properties of Boolean Algebra, Minimal Boolean function | |
| 3 | 1 | Disjunctive normal form and examples | |
| 4 | 1 | Examples and theorems | |
| 5 | 1 | Conjunctive normal form | |
| 6 | 1 | Examples | |
| 7 | 1 | Binary and invrse relations | |
| 8 | 1 | Composite and equivalence relations | |
| 9 | 1 | equivalence classs and related theorems | |
| 10 | 1 | Examples and questions | |
| 11 | 2 | Partial order relations and questions | |
| 12 | 2 | Partial order set and total order set | |
| 13 | 2 | Hasse diagram, maximal and minimal element | |
| 14 | 2 | Lub,glb,definition of Lattice | |
| 15 | 2 | Example of lattices | |
| 16 | 2 | Dual lattices, distributive lattice, complemented lattice | |
| 17 | 3 | Definition of graph and examples | |
| 18 | 3 | Types of graphs, subgraphs | |
| 19 | 3 | Walk, path, circuit, connected and disconnected graph | |
| 20 | 3 | Theorems | |
| 21 | 3 | Euler graph, Hamiltonian path and Circuit | |
| 22 | 3 | Shortest path in weighted graph, Dijkstra algorithm | |
| 23 | 3 | Examples | |
| 24 | 4 | Definition of Tree, rooted tree and binary tree | |
| 25 | 4 | Theorems on tree | |
| 26 | 4 | Theorems on tree, spanning tree | |
| 27 | 4 | Kruskal's Algorithm | |
| 28 | 4 | Prim's Algorithm | |
| 29 | 5 | Matrix representation of graph, incidence matrix | |
| 30 | 5 | Adjacency matrix | |
| 31 | 5 | Cut set and examples | |
| 32 | 5 | Theorems on cutset | |
| 33 | 5 | Planar graph,Kuratowski's two graphs | |
| 34 | 5 | Planar graph,Kuratowski's two graphs | |
| 35 | 5 | Planar graph,Kuratowski's two graphs | |

| 36 | 5 | Planar graph,Kuratowski's two graphs |
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| 37 | 5 | Doubt Solving |
| 38 | 5 | Doubt Solving |
| 39 | 5 | Doubt Solving |
| 40 | 5 | Revision |
| 41 | 5 | Revision |
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